

UNIVERSITETI "KADRI ZEKA" UNIVERSITY

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<u>SYLLABUS</u> <u>Course: Metric Spaces</u>

Basic information of the co	ourse				
Academic unit:	FAS				
Course Title:	METRIC SPACES				
Level:	Bachelor				
Program:	Mathematic Education	l			
Course status:	Elective				
Academic year:	2019/2020				
Year of study:	Year III, Semester V				
Number of hours per week:	2+2				
Credits – ECTS:	5 ECTS				
Timer / Location:					
Professor of subject:	Prof. Ass. Dr.				
Contact details:					
Description, Objectives and expected resultes					
Course description:	Contents of the course include: Metric spaces; Topological spaces; Haussdorf				
	spaces; Connecting spa	ices; The Arz	ela-Ascoli Theor	em.	
Objectives of the course:	<i>Metric spaces</i> aim to integrate training of professionals in the field of science				
	mathematics education bachelor studies.				
	The course objective is to acquaint students with the basics of knowledge in				
	Metric spaces. Another goal is to develop the skills and abilities of students so				
	that they successfully solve concrete problems in field of mathematics				
	whenever required implementation <i>Metric spaces</i> .				
Expected learning	After successful completion of the course <i>Metric spaces</i> , students will be able				
outcomes:	to:				
	• gain an appreciation for the role playing the metric spaces.				
	Learn the meaning of topological spaces and their use.				
	Achieve a skill in solving specific problems.				
	Develop critical thinking and enhance justification for solving various				
	problems				
Student contribution					
Activity		Hours	Day / Week	Total	
Lectures		2	15	30	
Theoretical exercises / laboratory		2	15	30	

Contacts with teacher / consultations		1	15	15	
Collocfiums, seminars		3	2	6	
Homework		1	15	15	
Self-learning time student (at the library or at home)		1	15	15	
Final preparation for the exam		2	15	30	
Projects, seminars, presentations, etc.		3	3	9	
Total				150	
150:25≈6 ECTS.					
Teaching methodology and assessment methods					
Teaching methodology:	Teaching methodology: Regular lessons, lectures, consultations, discussions, individual indeper				
	work, term papers (hom	ework), prese	ntations.		
Methods of assessment:	The exam consists of a written part and the oral part.				
	The assessment is based on the following activities:				
	Participation and engag	ement in hour	rs (10%)		
	(Koll.) Test 1-40% (written examination)				
	(Noil.) 1 est 2-40% (Written examination) Seminar papers (individual independent work) 10%				
	Final exam:				
	80% (for those who do not pass colloquiums).				
	Points Score				
	91-100 10				
	81-90 9				
	71-80 8				
	61-70 7				
T • .	51-60 6				
Literature					
Base literature:	Qamil Haxhibeqiri	, Topologjia,	ETMM i Kosovës	, 1989, Prishtinë	
	Booth, A.DP. Analytic Toplogy Lecture Notes, Berkeley, 2006,				
	University of califo	rnia			
	• W. Sutherland, Int	roduction to	Metric and Topol	ogical Spaces, Oxford	
	University Press, 19	975.	D 10//		
	• J. Dugundji, Topology, Allyn & Bacon, 1966.				
Designed to a bin a share	• K. Janich, Topolog	y, Springer V	erlag, 1995.		
Designed teaching plan:	The lesture to be held				
week	The lecture to be held				
I - week :	Metric space (examples	s, open e close	e sets)		
II - week :	Metric space (equivalent metrics spaces, continuous functions)				
III - week:	Topological spaces. (Topological structures, base, subbase, subspaces).				
IV- week:	Topological spaces. (Pr	roduct spaces,	, Coefficient space	es, Homeomorphism).	
V- week:	Hausdorff spaces (Examples, properties)				
	Hausdorff spaces (Exar	mples, proper	ties)		
VI- week	Hausdorff spaces (Exam Hausdorff spaces (Cont	mples, proper tinuous maps	ties) in compact spaces	s, compactness in R ⁿ ,	
VI- week	Hausdorff spaces (Exam Hausdorff spaces (Cont uniform continuous and	mples, proper tinuous maps d compactness	ties) in compact spaces s)	s, compactness in R ⁿ ,	
VI- week VII-week	Hausdorff spaces (Exam Hausdorff spaces (Cont uniform continuous and The first colloquium .	mples, proper tinuous maps d compactness	ties) in compact spaces s)	s, compactness in R ⁿ ,	
VI- week VII-week VIII-week	Hausdorff spaces (Exam Hausdorff spaces (Cont uniform continuous and The first colloquium . Definition of connected	mples, proper tinuous maps d compactness spaces. Exai	ties) in compact spaces s) mples.	s, compactness in R ⁿ ,	
VI- week VII-week VIII-week IX-week	Hausdorff spaces (Exam Hausdorff spaces (Con- uniform continuous and The first colloquium . Definition of connected Properties of connected	mples, proper tinuous maps d compactness d spaces. Exan l spaces.	ties) in compact spaces s) mples.	s, compactness in R ⁿ ,	

XI-week	Complete metric spaces (Cantorov theorem)	
XII-week	Complete metric spaces (Baierov theorem etc)	
XIII-week	Proof of the Arzela-Ascoli Theorem.	
XIV-week	Examples of the Arzela-Ascoli Theorem	
XV-week	The second colloquium .	
Academic policies and rules of etiquette:		
Regular attendance of students assessed with 10 points		

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- Students are free to ask questions and active participation in all teaching activity.

- They are not allowed cell phones, late arrival or departure from the class without reason.

- Plagiarism and copying in exams are penalized under the statute and other regulations of the university.

- The Code of conduct applies to both students and teachers.